

SCM-Guided Data Augmentation and SMOTE in Multimodal Model Robustness under Distribution Shifts

Assignee Research

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Abstract

This report synthesises findings from 11 peer-reviewed papers addressing the following research question: What is the impact of SCM-guided data augmentation versus traditional SMOTE on the robustness of multimodal models against distribution shifts in cross-domain evaluation tasks. 16 claims were extracted from source literature; 0 were independently verified against retrieved documents. An automated multi-reviewer quality assessment produced a score of 3.8/10. This report is a machine-generated literature synthesis and does not constitute original research.

1 Introduction

This paper examines: Enhancing Robustness of Foundation Model Representations under Provenance-related Distribution Shifts. Research question: What is the impact of SCM-guided data augmentation versus traditional SMOTE on the robustness of multimodal models against distribution shifts in cross-domain evaluation tasks?.

2 Methodology

Systematic literature search across multiple databases yielded 11 papers. Claims were extracted from source material and verified against retrieved documents. An independent multi-reviewer assessment produced a quality score of 3.8/10.

3 Results

11 papers retrieved. 16 claims extracted; 0 independently verified. Quality review score: 3.8/10.

4 Limitations

This report is a machine-generated literature synthesis and does not constitute original research. Automated retrieval and verification may introduce errors or omissions. Review scores reflect automated assessment, not human peer review. Readers should consult primary sources for authoritative information.

5 Extracted Claims

Claim	Verified	Confidence
The problem formulation does not include the distribution of predictor variables, X , which in our case is derived from l	×	0.03
The approach for synthetic injection of confounding shift is built upon to develop an evaluation framework for binary cl	×	0.03
The parameters to construct a testing scenario are set as $P_{train}(y = 1 z = 0)$, $P_{train}(y = 1 z = 1)$, $P_{train}(z = 1) = P_{tes}$	×	0.04
Equation (3) aims to eliminate a potential confounding factor where the proportion of training examples from each source	×	0.05
Equation (4) is implicitly enforced to negate effects of different background positive rates in the train and test sets.	×	0.02
The objective of these constraints is to focus on shifts related to provenance.	×	0.11
Two auxiliary variables for measuring differences in site-specific class distribution are introduced: $\alpha_{train} = P_{train}(y$	×	0.04
During evaluation, desired ranges for variables (1), (2), (3), and α_{test} are specified.	×	0.02
All combinations of these parameters are applied to govern selection of corresponding samples to construct multiple $train$	×	0.03
The goal is to examine a model's robustness to these different degrees of distribution shift (measured by the difference	×	0.12
To quantify robustness (or model stability), α_{test} is first log-transformed and a linear regression line is fit against	×	0.02
The coefficient measures the slope of a line that relates changes in the performance metric of interest to changes in α_{test}	×	0.01
The lower the absolute value of the fitted coefficient, the more robust a model is to confounding shift, with a value of	×	0.04
Backdoor adjustment is a technique to make adjustments on predictions when confounding variable (z) exists: $P(y x) = \sum_z$	×	0.08
A similar approach was developed by Landeiro and Culotta [19] for text classification in the presence of confounding bias	×	0.02
A logistic regression model is fit to estimate $P(y X, z = c)$: $\text{logit}(yc) = \beta_0 + \beta_1 X + \beta_2 zc + \epsilon$.	×	0.01

References

- <http://arxiv.org/abs/2312.05435v1>
- <http://arxiv.org/abs/2407.17856v4>
- <http://arxiv.org/abs/2112.03057v1>